

**B.E/ B.Tech. Degree Examination, Nov / Dec 2008**  
**Sixth Semester**

**Electrical and Electronics Engineering**

EE 1352 – Power System Analysis

(Regulation 2008)

Time: Three hours

Maximum: 100 marks

**Answer all questions**

**Part A – (10 × 2 = 20 marks)**

1. What is the need for system analysis in planning and operation of power system?
2. How are the base values chose in per unit representation of a power system?
3. Draw the  $\pi$  equivalent circuit of a transformer with off-nominal tap ratio and admittance Y.
4. Define bus incidence matrix.
5. Mention two objectives of short circuit analysis.
6. Draw the zero sequence network of a star connected generator with zero sequence impedance  $Z_{g0}$  when the neutral is ground through an impedance  $Z_n$ .
7. What are the three classes of buses of a power system used in power flow analysis? What are the quantities to be specified and to be computed for each class during power flow solution?
8. Compare Gauss-Seidel method and Newton-Raphson method with respect to number of iterations taken for convergence and memory requirement.
9. Define critical clearing time.
10. Write the power angle equation of a synchronous machine connected to an infinite bus and also the expression for maximum power transferable to the bus.

**Part B – (5 × 16 = 80 marks)**

11. Obtain the per unit impedance (reactance) diagram of the power system  
 $G_1$ : 20 MVA, 10.5 KV,  $X'' = 1.4 \Omega$ ,  $X_{n1} = 0.5 \Omega$ ,  
 $G_2$ : 10 MVA, 6.6 KV,  $X'' = 1.2 \Omega$ ,  $X_{n2} = 0.5 \Omega$ ,  
 $T_1$  (3 phase): 10 MVA, 33 / 11 KV,  $X = 15.2 \Omega$  per phase on high tension side.  
 $T_2$  (3 phase): 10 MVA, 33 / 6.6 KV,  $X = 16 \Omega$  per phase on high tension side.  
Transmission line:  $22.5 \Omega$  per phase. Choose a common base of 20 MVA.
12. (a) Determine  $Z_{Bus}$  using bus impedance matrix building algorithm by adding the lines as per increasing element number. The reactance diagram of the system is shown in given figure.  
**(OR)**  
(b) Explain the modeling of generator, load and transmission line for short circuit, power flow and stability studies.
- 13 (a) Derive the formula for fault current, fault bus voltages and current through the lines for a 3 phase symmetrical fault at a bus in a power system using  $Z_{Bus}$ . State the assumptions made in the derivations.

(OR)

(b) A single line to ground fault occurs on bus 4 of the system shown in given figure.

(i) Draw the sequence networks. (12)

(ii) Compute the fault current. (4)

Generator 1 & 2: 100 MVA, 20 KV with  $X_1 = X_2 = 20\%$ ,  $X_0 = 4\%$ ,  $X_n = 5\%$ ,

Transformer 1 & 2: 100 MVA, 20 KV / 345 KV,  $X_{leakage} = 8\%$  on 100 MVA,

Transmission line:  $X_1 = X_2 = 15\%$  nad  $X_0 = 50\%$  on a base of 100 MVA, 20 KV.

14 (a) Explain clearly the algorithmic steps for solving load flow equations using Newton-Raphson method (polar form) when the system contains all types of buses. Assume that the generators at the PV buses have enormous Q limits and hence Q limes need not be checked.

(OR)

(b) The system data for a load flow problem are given in Table 1 and Table 2.

(i) Compute  $Y_{bus}$ . (6)

(ii) Determine bus voltages at the end of 1<sup>st</sup> iteration by Gauss-Seidal method. Take acceleration factor as 1.6. (10)

Table 1		Table 2				
Bus Code	Admittances (p.u)	Bus Code	$P_D$ in p.u	$Q_D$ in p.u	V in p.u	Remarks
1 – 2	$2 - j8$	1	–	–	$1.06 \angle 0^\circ$	Slack
1 – 3	$1 - j4$	2	0.5	0.2	–	PQ
2 – 3	$0.6 - j2.6$	3	0.4	0.3	–	PQ

15 (a) (i) Write the swing equation describing the rotor dynamics of a synchronous machine connected to infinite bus through a double circuit transmission line. (8)

(ii) Explain the step-wise procedure of determining the swing curve of the above system using Modified Euler’s method. (8)

(OR)

(b) In the system shown in given figure a three phase fault occurs at point p closer to bus 2.

Find the critical clearing angle for clearing the fault with simultaneous opening of the breakers 1 & 2. The reactance values of the various components are  $X_g = 0.15$  p.u,  $X_{L1} = 0.5$  p.u,  $X_{L2} = 0.4$  p.u. The generator is delivering 1.0 p.u power at the instant preceding the fault.